M4-08: Discovering the Law of Large Numbers in Python
Part of the "Simulation and Distributions" Learning Badge
Video Walkthrough: https://discovery.cs.illinois.edu/m4-08/
The Law of Large Numbers
The law of large numbers informs us that the average result will tend to the expected value the more trials or simulations we run.

Puzzle \#1: Write a simple simulation that simulates rolling two six-sided dice and recording the sum of both rolls:
Simulation:

## Calculating our Cumulative Average

The pandas library provides a cumulative sum function -- cumsum ( ) -- that calculates the current column sum up to the current row in the dataset.

Puzzle \#2: Calculating the cumulative sum by hand for a possible set of rolls, and then a cumulative average:

| index | diceTotal | cumsum |  |
| ---: | ---: | :--- | :--- |
| 0 | 7 |  |  |
| 1 | 10 |  |  |
| 2 | 4 |  |  |
| 3 | 7 |  |  |
| 4 | 12 |  |  |
| 5 | 5 |  |  |
| 6 | 7 |  |  |

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## Discovering the Law of Large Numbers

Puzzle \#3: Create a line plot of the your cumulative average function, focusing on just the first 10 rows, filling out the table below:

| Rows | What is the range of data of the right half of the graph? |
| ---: | ---: |
| $[0: 10]$ |  |
| $[0: 100]$ |  |
| $[0: 10000]$ |  |
| $[0: 100000]$ |  |
|  |  |

Analysis:
(a): What is the expected result when rolling two dice and calculating the sum?
(b): What happens to the cumulative average as we show more and more © simulations?

